Module 11Transformation of ShapesLesson 1Translations and Reflections

Lesson Objectives

- Perform translations and reflections of two-dimensional figures using a variety of methods (paper folding, tracing, graph paper).
- Draw and describe the results of translations and reflections about the *x* and *y*-axis.

Subtopic 1

Translations

A <u>transformation</u> is a change in the position, shape, or size of a geometric figure. Translations, <u>reflections</u>, and <u>rotations</u> are three types of transformations that are basic rigid motions of geometry.

Translation (**Slide**)

- Transformation that slides each of the points of a figure the same <u>distance</u> in the same direction
- Slides a figure <u>horizontally</u>, vertically, or diagonally along a line without turning

The resulting figure after a translation is called the <u>image</u> of the original figure.

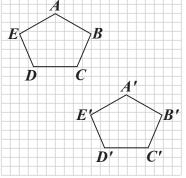
- Are <u>congruent</u>
- Have the same orientation

Motion rule

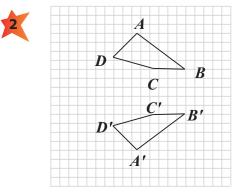
- Describes a transformation made in a coordinate plane
- Movements left and down are <u>negative</u>.
- Movements <u>right</u> and <u>up</u> are positive.

Tell whether the figure shown and its image show a translation. Explain your answer.

1



Translation: The image is congruent to the original figure and has the same orientation.

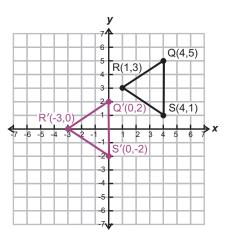


Not a translation: It has a different orientation.



Translate $\triangle QSR$ using the rule $(x, y) \rightarrow (x-4, y-3)$. Give the coordinates of Q', R', and S'.

Q'(0,2)R'(-3,0)S'(0,-2)



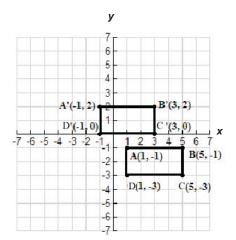
NAME

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Write the motion rule for the transformation of rectangle ABCD into rectangle A'B'C'D'.

 $(x, y) \rightarrow (x - 2, y + 3)$



Subtopic 2

Reflections

- A reflection flips each point of a figure across a line and produces a congruent mirror image.
- A reflection is sometimes called a <u>flip</u>.
- A line of <u>reflection</u> is the line over which an image is flipped.

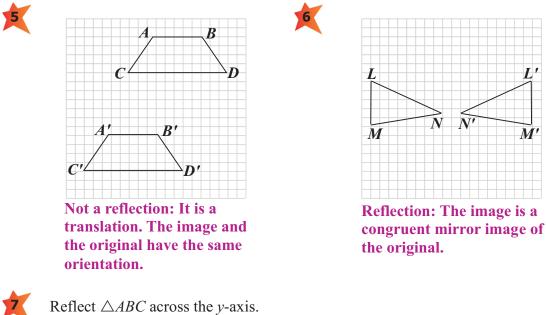
Reflection across *y*-axis:

- The *x*-coordinate is the **<u>opposite</u>**.
- The *y*-coordinate is the same.
- $(x, y) \rightarrow (-x, y)$

Reflection across <u>*x*-axis</u>:

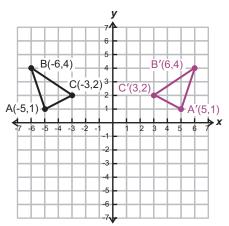
- The *x*-coordinate is the <u>same</u>.
- The *y*-coordinate is the opposite.
- $(x, y) \rightarrow (x, -y)$

Tell whether the figure and its image show a reflection. Explain your answer.



Give the coordinates of A', B', and C'.

A' (5, 1) B' (6, 4) C' (3, 2)





Write the motion rule for the transformation of square LMNP into square L'M'N'P'.

$$(x, y) \rightarrow (x, -y)$$

