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Module 13 Perimeter, Area, and Volume
Lesson 2 Area

## Independent Practice

Find the area.
1.

2. Circle $K$

105 in. $^{2}$
3.

$63 \mathrm{ft}^{2}$
5.

$66.4 \mathrm{~cm}^{2}$
6.

$225 \mathrm{ft}^{2}$
7. A large banner in the shape of a parallelogram has a base of seven feet and a height of four feet. What is the area of the banner?

The area is $28 \mathrm{ft}^{2}$.
8. A rectangular swimming pool cover has an area of 340 square feet. The width of the cover is 17 feet. What is the length?

The pool cover is $\mathbf{2 0}$ feet long.
9. Jerome wants the perimeter of a rectangular vegetable garden to be 28 yards. Complete the table below to find the greatest and least possible areas that he can obtain by using whole-number dimensions only. Tell which dimensions give these areas.

| Length <br> $(\mathbf{y d})$ | Width <br> $(\mathbf{y d})$ | $\boldsymbol{P}$ <br> $(\mathbf{y d})$ | $\boldsymbol{A}$ <br> $\left.\mathbf{( y d}^{2}\right)$ |
| :---: | :---: | :---: | :---: |
| 1 | $\mathbf{1 3}$ | 28 | $\mathbf{1 3}$ |
| 2 | $\mathbf{1 2}$ | 28 | $\mathbf{2 4}$ |
| 3 | $\mathbf{1 1}$ | 28 | $\mathbf{3 3}$ |
| 4 | $\mathbf{1 0}$ | 28 | $\mathbf{4 0}$ |
| 5 | $\mathbf{9}$ | 28 | $\mathbf{4 5}$ |
| 6 | $\mathbf{8}$ | 28 | $\mathbf{4 8}$ |
| 7 | 7 | 28 | $\mathbf{4 9}$ |

Least possible area: $13 \mathrm{yd}^{2}$; 1 yd by 13 yd Greatest possible area: $49 \mathrm{yd}^{2} ; 7 \mathrm{yd}$ by 7 yd
10. A discus thrower must stand inside a circle that is 8 feet $2 \frac{1}{2}$ inches in diameter. Find the area of the circle to the nearest whole inch.

The area is about 7,616 square inches.
11. A doubles tennis court is nine feet wider than a singles tennis court. How much greater is the area of the doubles tennis court than the singles tennis court?

The area of the doubles tennis court is $702 \mathrm{ft}^{2}$ greater than the singles court.

12. Find the area of the trapezoid.

The area is $2,520 \mathrm{~m}^{2}$.

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## Journal

1. If you know the perimeter of a square, can you determine its area? How? What about for a rectangle that is not a square? Explain.
2. How is the formula for the area of a triangle related to the formula for the area of a parallelogram? Explain.
3. Explain how to find the length of the base of a triangle if you know the height and area of the triangle.
4. How can you find all the different whole-number dimensions of a rectangle whose perimeter is 26 feet long?

## Cumulative Review

Fill in the blanks.

1. $425 \mathrm{~min}=$ $\qquad$ h $\qquad$ $\min$

7; 5
3. $7.5 \mathrm{gal}=$ $\qquad$ pt

60
Perform the indicated operation.
5. $45 \mathrm{~h} \div 4$

11 h 15 min
7. $\begin{array}{r}22 \mathrm{~h} 47 \mathrm{~min} \\ +\quad 8 \mathrm{~h} \mathrm{\quad 18min} \\ \hline\end{array}$

31 h 5 min
2. $748 \mathrm{~g}=$ $\qquad$ mg
748,000
4. $\quad 74 \mathrm{yd}=$ $\qquad$ in.

2,664
6. $128 \mathrm{~mL} \times 21$

2,688 mL or 2.688 L
8. 18 gal 2 qt
$-\quad 3 \mathrm{gal} 3 \mathrm{qt}$
14 gal 3 qt

Find the perimeter or circumference.
9. Circle $V$


About 138.16 in.
11.

474.1 ft
10.


108 mm
12.


294 in.

| NAME |  |
| :--- | :--- |
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## Possible Journal Answers

1. If I know the perimeter of a square, I can find its area by first dividing the perimeter by four to find the length of one side. Then, I square the side length to find the area of the square. Because the four sides of a square are congruent, there is one unique square with a given perimeter. A rectangle that is not a square has different length and width values, meaning there can be several unique rectangles with the same perimeter. For instance a 5 ft by 2 ft rectangle and a $\mathbf{3} \mathbf{f t}$ by $\mathbf{4 f t}$ rectangle both have a perimeter of 14 ft , but the former has an area of $\mathbf{1 0}$ square feet while the latter has an area of 12 square feet. In conclusion, yes, I can find the area of a square given its perimeter, but I cannot find the area of rectangle given its perimeter.
2. The formula for the area of a triangle is the same as for the area of a parallelogram except that after multiplying the base times the height, I would divide by two (or would multiply by one-half). This is because any parallelogram can be divided into two congruent triangles.
3. I write the area of a triangle: $\mathrm{A}=\frac{1}{2} b h$. I then substitute the area for $A$ and the height for $h$. Next, I multiply the height by $\frac{1}{2}$ and divide the area by this amount. The quotient is the length of the base, $b$.
4. Because the perimeter is 26 feet, the sum of one length and one width must be half of $\mathbf{2 6}$ feet or $\mathbf{1 3}$ feet. Starting with one foot for the length, I list all the possible lengths: $1,2,3,4,5,6,7,8,9,10,11,12$. Then, I list the corresponding widths: $12,11,10,9,8,7,6,5,4,3,2,1$. If desired, I remove repeats that give the same dimensions, but in a different order, such as length five and width six and length six and width five. The dimensions are $1 \mathbf{f t}$ by $\mathbf{1 2 ~ f t , ~} 2 \mathrm{ft}$ by $\mathbf{1 1} \mathbf{f t}, \mathbf{3 f t}$ by 10 $\mathrm{ft}, \mathbf{4 t}$ by $\mathbf{9} \mathrm{ft}$, and 5 ft by $\mathbf{8 f t}$.
