

NAME _____

Module 9 Using Functions
Lesson 5 Solving Problems Using Functions



**additional
practice**

Solve. Variables may vary.

- 1a.** Write an equation for the function that can be used to find the volume of a shed with a square floor, and a height of 10 feet.

$$V(s) = 10s^2$$

- 2a.** Write an equation for the function that can be used to find the number of light bulbs in p packages, if each package contains four light bulbs.

$$f(p) = 4p$$

- 3a.** Write an equation for the function that can be used to find the number of cans of paint needed to paint four walls and the ceiling of a cube-shaped room x feet long. Each can of paint covers 100 square feet.

$$p(x) = \frac{5x^2}{100}$$

- 4a.** Newt opened a checking account with a \$500 deposit. Each month, he withdraws \$20. Write a function to show Newt's balance after m months.

$$b(m) = 500 - 20m$$

- 5a.** A piano teacher started with two students. At the end of each year, he takes on three additional students. Write a function to show the number of students the piano teacher has after r years.

$$s(r) = 2 + 3r$$

- 1b.** Use the function from exercise 1a to find the volume of a shed with a floor whose length is nine feet.

$$V(9) = 810 \text{ ft}^3$$

- 2b.** Use the function from exercise 2a to find the number of light bulbs included in seven packages.

$$f(7) = 28$$

- 3b.** Use the function from exercise 3a to find the number of cans of paint needed if the cube-shaped room is 10 feet long.

$$f(10) = 5$$

- 4b.** Use the function from exercise 4a to find Newt's balance after 12 months.

$$b(12) = \$260$$

- 5b.** Use the function from exercise 5a to determine when the teacher will have 26 students.

The teacher will have 26 students at the end of 8 years.

- 6a.** Write a function to show the number of cards remaining in a 52-card deck after d cards have been dealt.

$$\underline{c(d) = 52 - d}$$

- 7a.** Write a function to show the number of eggs remaining in a crate of 144 eggs after x 3-egg omelets have been made.

$$\underline{g(x) = 144 - 3x}$$

- 8a.** The cost of a long-distance phone call can be described by a linear equation. A 10-minute phone call costs \$0.70. A 15-minute phone call costs \$0.95. Write the equation for the function.

$$\underline{c(m) = 0.05m + 0.20}$$

- 9a.** The cost of purchasing and operating a refrigerator can be described by a linear function. It costs \$357 to purchase and operate the refrigerator for four months, and \$373 for 6 months. Write a linear function to show the cost of purchasing and operating the refrigerator for m months.

$$\underline{c(m) = 325 + 8m}$$

- 10a.** The cost of developing the pictures on a roll of film at FastPix can be described by a linear function. It costs \$4.60 to develop 13 pictures, and \$5.60 to develop 18 pictures. Write a linear function to show the cost of developing a roll of film containing p pictures.

$$\underline{c(p) = 2 + 0.20p}$$

- 6b.** Use the function from exercise 6a to determine the number of cards remaining after 27 cards have been dealt.

There will be 25 cards remaining in the deck.

- 7b.** Use the function from exercise 7a to determine how many 3-egg omelets can be made if 20 eggs must be reserved for other uses.

Forty-one 3-egg omelets can be made.

- 8b.** Use the function from exercise 8a to determine the cost of a 5-minute phone call.

It will cost \$0.45 for a 5-minute phone call.

- 9b.** Use the function from exercise 9a to determine the cost of purchasing and operating the refrigerator for two years.

$$\underline{c(24) = 517; \$517}$$

- 10b.** Use the function from exercise 10a to determine the cost of developing a roll of film containing 21 pictures.

$$\underline{c(21) = 6.20; \$6.20}$$