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INIOUC		
ll in the blank wit atement.	th the terms or numbers which best complete each	
I. A	is an arrangement of objects in which the order	
matters.		
2. $_{6}P_{2} = \frac{6!}{4!} = $		
3. The Law of Large	e Numbers states that as the number of trials in an experiment	
increases, the _	probability gets closer to the	
	probability.	
I. If the probability	of an event occurring is $\frac{7}{12}$, then the probability of the event not	
occurring is		
0		
etermine whethe	r each statement is true or false.	
5. The Fundamenta	I Counting Principle states that if there are m ways to make the	
b. when the probab	Dility of an event is one, the event is certain to occur.	
7. The events of ha	aving a birthday in the summer and having a birthday on a holiday	
are mutually excl	lusive	
	ve the same number of edges, they are equivalent	
3. If two graphs hav		
3. If two graphs hav		

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10. In how many ways can eight classmates line up for a fire drill?

$$_{8}P_{8} = \frac{8!}{0!} =$$

11. There are 14 different colored markers in a desk drawer. Greg needs three markers. How many different sets of three markers are possible?

$$_{14}C_3 = \frac{14!}{11!3!} =$$

12. A school science fair has eight finalists. How many different ways can the judges award 1st, 2nd, and 3rd place ribbons?

$$_{8}P_{3} = \frac{8!}{5!} =$$

13. Carlos rolled a fair number cube (die) 30 times. The results are shown in the table.

Number	Number	Number	Number
	of Rolls		of Rolls
1	2	4	3
2	8	5	4
3	6	6	7

What is the experimental probability of rolling a one or three?

14. Use the information in Question 13 to find the theoretical probability of rolling a

one or three. _

- **15.** A bag contains 10 lemon, 15 grape, and 15 orange candies. Without looking into the bag, Lisa selected one candy, ate it, and then, selected and ate another candy. What is the probability that Lisa ate two orange candies?
- **16.** A computer microchip factory has a defect rate of 2%. A Quality Control Director randomly pulls two microchips each day for inspection. Find the probability both chips are defective on a given day. Assume that defects are independent events.

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Answer the following questions with complete sentences.

17. Explain why the events of selecting two kings from a well-shuffled deck of playing cards, *without* replacement, are dependent.

18. Is the graph below traversable? If so, explain why, and name a traversable path. If not, explain why not.



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19. Are the two graphs below equivalent? Explain why or why not.



20. Draw a tree diagram to show all possible gender orders of three children in a family. B-G-G (Boy-Girl-Girl) is one such gender order.

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